

# **CBRT - 2018 Question Paper Grid**

Government of Goa 23 December 2018

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# **Assistant Professor(Mathematics)**

Itemcode: PM1031

Q1: Tripitakas are the sacred books of the

- (a) Jains
- (b) Hindus
- (c) Muslims
- (d) Buddhists

Itemcode : PM1032

Q2: Mohenjodaro is situated in

- (a) The province of Sindh in Pakistan
- (b) In the State of Gujarat in India
- (c) In the State of Punjab in India
- (d) In Afghanistan

Itemcode : PM1033

Q3: The greatest Portuguese governor in the east who laid the real foundation of Portuguese power in India was

- (a) Almedia
- (b) Albuquerque
- (c) Francis Drake
- (d) Vasco de Gama

Itemcode: PM1034

Q4: Who was the author of Gita Rahasya?

- (a) Ramakrishna Paramahamsa
- (b) Vijayaraghavachariar
- (c) Bal Gangadhar Tilak
- (d) Vivekananda

Itemcode : PM1035

**Q5:** What was the ultimate goal of Gandhi's Salt Satyagraha?

- (a) Repeal of salt laws
- (b) Curtailment of the government's power
- (c) Economic relief to the common people
- (d) Purna swaraj for India

Itemcode : PM1036

**Q6:** The Length of India's coastline is about

- (a) 7,500 km.
- (b) 5,900 km.
- (c) 7,000 km. (d) 6,100 km.

Itemcode: PM1037

Q7: Which area of India receives the least rainfall?

- (a) Ladakh
- (b) The Western Ghats
- (c) Eastern Rajasthan
- (d) Western Tamil Nadu

Itemcode : PM1038

Q8: Which of the following major sea ports of India does not have a natural harbour?

- (a) Mumbai
- (b) Cochin
- (c) Mormugao
- (d) Paradeep

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Q9: What is the chief source of political power in India?
(a) People
(b) the Constitution
(c) the Parliament
(d) State legislature
Itemcode : PM1040
Q10 How many members of the Rajya Sabha can be nominated by the President from amongst persons who have
      distinguished themselves in art, literature, social service etc.?
(a) 2
(b) 10
(c) 12
(d) none
Itemcode : PM1041
Q11 Choose the correct alternative
      Melt: Liquid: : Freeze : ?
(a) Ice
(b) Condense
(c) Solid
(d) Crystal
Itemcode: PM1042
Q12 Choose the correct alternative
      Acting: Theatre:: Gambling:?
(a) Casino
(b) Club
(c) Bar
(d) Gymn
Itemcode: PM1043
Q13 Select the best alternative
      Professor: Lecture:: Doctor:?
(a) Hospital
(b) Disease
(c) Medicine
(d) Patient
Itemcode: PM1044
Q14 Choose out the odd one
(a) Axe
(b) Sword
(c) Knife
(d) Showel
Itemcode: PM1045
Q15 Choose out the odd one
(a) Island
(b) Coast
(c) Oasis
(d) Harbour
Itemcode: PM1046
Q16 Choose the correct alternative that will continue the same pattern and fill in the blank spaces
      19, 2, 38, 3, 114, 4, (....)
(a) 228
(b) 256
(c) 352
(d) 456
Itemcode: PM1047
Q17 Choose the missing term out of the given alternatives
      U, O, I, ?, A
(a) E
(b) C
(c) S
(d) G
Itemcode: PM1048
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Q18 Choose the missing term out of the given alternatives

Z, L, X, J, V, H, T, F, ?, ?

(a) R, D
(b) R, E (c) S, E
(d) Q, D
Itamcada : PM1040
<ul> <li>Itemcode: PM1049</li> <li>Q19 In the following letter series, some of the letters are missing which are given in that order as one of the alternatives</li> <li>below it .Choose the correct alternative</li> </ul>
Abc-d-bc-d-bcda
(a) bacde
(b) cdabe
(c) dacab (d) decdb
Itemcode: PM1050
<ul><li>Q20 If in a certain language NATURE is coded as MASUQE , how is FLOWER coded in that code?</li></ul>
(a) FBMJND
(b) FZMHND
(c) GANIOE (d) EALIME
Itemcode: PM1051
<ul><li>Q21 Choose the most appropriate Preposition:</li><li>The mother was anxious the safety of her son.</li></ul>
(a) At
(b) About (c) For
(d) Upon
Itemcode: PM1052
<ul><li>Q22 Choose the most appropriate Preposition:</li><li>There is no exception this rule.</li></ul>
(a) In
(b) To
(c) For (d) About
Itemcode: PM1053
<ul><li>Q23 Choose the exact meaning of the idiomatic expression/phrase given below:</li><li>When I saw him in the morning, he looked like <u>a duck in a thunderstorm</u>.</li></ul>
(a) Entrapped (b) Distressed
(c) Peaceful
(d) Timid
Itemcode : PM1054
<ul> <li>Q24 Choose the exact meaning of the idiomatic expression/phrase given below:</li> <li>Our College is within a stone's throw of the railway station.</li> </ul>
(a) Very far off
(b) Within a definite circumstance (c) At a short distance
(d) With a certain radius
Itemcode: PM1055
<ul><li>Q25 Choose the correct Synonym from the words given:</li><li>Abysmal</li></ul>
(a) Mixed
(b) Horrifying
(c) Hollow (d) Superficial

 $\underline{\mathsf{Itemcode}} : \mathbf{PM1057}$ 

Itemcode : PM1056

Zealot

(a) Foolish(b) Energetic(c) Dumb(d) fanatic

Q27 Choose the correct Antonym from the words given below:Clandestine

**Q26** Choose the correct Synonym from the words given:

(a) Open

- (b) Vague (c) Bright (d) Unreal Itemcode: PM1058 **Q28** Choose the correct Antonym from the words given below: Sporadic (a) Irregular (b) Uneven (c) Frequent (d) Regularly Itemcode: PM1059 Q29 Spot the error in the following sentences given below by indicating your answer with the correct alphabet: (a) Having been found guilty (b) On murder (c) The accused was (d) Sentenced to death Itemcode: PM1060 Q30 Spot the error in the following sentences given below by indicating your answer with the correct alphabet: (a) A more irrational world (b) To this one in which (c) We presently live (d) Could hardly be conceived Itemcode : PM1001 Q31 A homogeneous system of m linear equations in n variables will (a) a unique solution if  $m \le n$ . (b) a unique solution if  $n \leq m$ . (c) infinitely many solutions if m < n. (d) infinitely many solutions if n < m. Itemcode : PM1002 Q32 The real vector space of all complex n x n matrices A such that  $A^{t} = \bar{A}$  is of (real) dimension (a)  $n^2$ (b) n<sup>2</sup>-n (c)  $2(n^2 - n)$ (d)  $(n^2 - n)/2$ Itemcode: PM1003 Q33 Let A and B be two n x n real matrices. Then rank(AB) (a) =  $max{rank(A),rank(B)}$ (b) = rank(A).rank(B). (c) = rank(A) + rank(B). (d)  $\leq \min\{\operatorname{rank}(A),\operatorname{rank}(B)\}.$ Itemcode: PM1004 **Q34** Let V be an inner product space such that  $\dim(V) = n \in N$ . If S is an orthonormal set in V containing m elements, then (a) m = n(b)  $m \ge n$ (c)  $m \le n$ (d) m > nItemcode: PM1005 **Q35** Let T be a self-adjoint operator on a real finite dimensional inner product space V. Then it is not true that, (a) there is a unique unitary operator U on V such that  $UTU^{-1}$ is diagonal (b) T is a linear combination of projections on V. (c) T is a normal operator.
- (a) (a<sub>n</sub>) is bounded.

(d) eigenvalues of T are real.

**Q36** Let  $(a_n)$  be e sequence of real numbers. Then  $(a_n)$  converges in R if

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(b) (a<sub>n</sub>) is monotone.
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(c) 
$$|a_n - a_{n+1}| \longrightarrow 0$$
 as  $n \longrightarrow \infty$ .

(d) 
$$\sum_{n=1}^{\infty} a_n$$
 converges in  $\mathbb{R}$ .

$$\begin{array}{ccc}
& & & \\
\mathbf{Q37} & & & \\
& & & \sum_{n=1}^{\infty} \frac{n}{2^n} = 
\end{array}$$

- (a)  $\frac{1}{2}$ .

## Itemcode: PM1008

Let 
$$f:(0,1) \longrightarrow \mathbb{R}$$
 be defined as  $f(t) = \frac{\cos t - 1}{t^2}$  for  $t \neq 0$  and  $f(0) = -1/2$ . Then,

- (a) f is differentiable twice in (-1, 1).(b) f is differentiable in (-1, 1) but f ' is not differentiable at 0.
- (c) f is continuous in (-1, 1) but f is not differentiable at 0.
- (d) f is not continuous at 0.

# Itemcode: PM1009

Let 
$$A = \{1/m - 1/n : m, n \in \mathbb{N}\}$$
. Then inf  $A =$ 

- (a) 1
- (b) -1 (c) 0

#### Itemcode: PM1010

Let 
$$f:(0,1)\longrightarrow \mathbb{R}$$
 be monotonic. Then  $f$ 

- (a) is differentiable.
- (b) is continuous, but need not be differentiable.
- (c) can have only finitely many points of discontinuities.
- (d) can have infinitely many points of discontinuities.

#### Itemcode : PM1011

**Q41** The number of non-isomorphic groups of order 35 is

- (a) 1. (b) 2.
- (c) 4.

### Itemcode : PM1012

 ${\bf Q42}~$  The number of elements of order 5 in  ${\bf A}_5$  is

- (a) 0.
- (b) 16. (c) 20. (d) 24.

Let 
$$S = \{ \sigma \in S_5 : \sigma \text{ is conjugate to } (1,2,3) \}$$
. The number of elements in  $S$  is

- (a) 15
- (b) 20 (c) 24

- Q44 Let R be a commutative ring with unity and M1 and M2 be two
  - distinct maximal ideals in R. Then,
- (a)  $M_1 \cup M_2$  is a maximal ideal.

- (b)  $M_1 \cap M_2$  is a maximal ideal.
- (c) M1 + M2 is a maximal ideal.
- (d) M1 + M2 = R.

Q45 Let I be an ideal in a commutative ring with unity M such that

- M/I is a field. Then, I is
- (a) a maximal ideal.
- (b) a prime ideal, but not a maximal ideal.
- (c) principal ideal, but not a maximal ideal.(d) I = R.

Itemcode : PM1016

The Wronskian of the solutions of  $y'' + xy' + x^2y = 0$  is (with c an arbitrary constant)

- (a)  $ce^{\frac{-x^2}{2} \frac{x_0^2}{2}}$
- (b)  $ce^{\frac{-x^2}{2}}$ .
- (c)  $e^{-x^2} e^{-x_0^2}$ .
- (d)  $e^{-x^2}$

Itemcode: PM1017

If  $P_m(x)$  is the Legendre polynomial of degree m, then  $\int_{-1}^1 x P_1(x) dx =$ 

- (a) 3/2 (b) 1 (c) 2/3 (d) 0

Itemcode: PM1018

The Laplace transform of the Dirac delta function  $f(t) = \delta_{t_0}(t)$ with impulse at  $t = t_0 > 0$  is F(p) =

- (b) 1.
- (c) e<sup>top</sup>. (d) 1/p.

The general solution of  $x\frac{\partial z}{\partial x} + y\frac{\partial z}{\partial y} = z$  is given using a differentiable function F by

- (a) F(x; y; z) = 0. (b) z = yF(x=y)
- (c) F(x=y; z=y) = 0.
- (d) z = F(x,y).

Itemcode: PM1020

The canonical form of the equation  $(n-1)^2 z_{xx} - y^{2n} z_{yy} =$  $ny^{2n-1}z_y$  where n>1 is an integer, is of the form

(a) 
$$z_{\alpha\alpha} + z_{\beta\beta} = \phi(\alpha, \beta, z, z_{\alpha}, z_{\beta}).$$

(b) 
$$z_{\eta\eta} = \phi(\xi, \eta, z, z_{\xi}, z_{\eta}).$$

(c) 
$$z_{\xi\eta} = \phi(\xi, \eta, z, z_{\xi}, z_{\eta}).$$

(d) 
$$z_{\xi\xi} = \phi(\xi, \eta, z, z_{\xi}, z_{\eta}).$$

Itemcode: PM1021

Q51 Let  $f(x,y) = x^2 - y^2$ ,  $(x,y) \in \mathbb{R}^2$ . Then, (0,0) is a

- (a) regular point of f.
- (b) local maximum of f.
- (c) local minimum of f.
- (d) point of inflection of f.

- Let  $f: \mathbb{R}^m \longrightarrow \mathbb{R}^n$  be a differentiable map on  $\mathbb{R}^m$ . Then the derivative f' is a map from
- (a)  $\mathbb{R}^m \longrightarrow \mathbb{R}^n$ .
- (b)  $\mathbb{R}^m$  to the set of all linear maps from  $\mathbb{R}^m \longrightarrow \mathbb{R}^n$ .
- (c) the set of all linear maps from  $\mathbb{R}^m \longrightarrow \mathbb{R}^n$  to the space  $\mathbb{R}^n$ .
- the set of all linear maps from  $\mathbb{R}^m \longrightarrow \mathbb{R}^n$  to the set of all linear maps from  $\mathbb{R}^m \longrightarrow \mathbb{R}^n$ .

- Let  $f:[0,1] \longrightarrow \mathbb{R}$  be defined as f(x)=0 for all  $x \in \mathbb{Q}$  and equal to 1 otherwise. Then f is
- (a) continuous at all rational numbers and not Riemann integrable.
- (b) continuous at all irrational points and not Riemann integrable.
- (c) discontinuous at every point and Riemann integrable.
- (d) discontinuous at all points and not Riemann integrable.

#### Itemcode: PM1024

- The function  $z \sin \frac{1}{z}$   $(z \in \mathbb{C})$
- (a) admits a zero at z = 0.
- (b) admits a pole at z = 0.
- (c) has an essential singularity at z = 0.
- (d) is regular and nonzero at z = 0.

#### Itemcode: PM1025

- Let f be analytic on the disc |z| < 1 such that  $f(1/n) = \frac{n-2}{2n+1}$ . Then f(0) =
- (a) 0.
- (b) 1/2. (c) 1.
- (d) -2.

# Itemcode: PM1026

- **Q56** Let f(z) and g(z) be analytic in |z| < 1 such that f(z) = 0 if and only if g(z) = 0. The f(z)=g(z)
- (a) have no poles in |z| < 1.
- (b) can have zeros but cannot have any singularity in |z| < 1.
- (c) can have singularities, but not zeros in |z| < 1.
- (d) may or may not be analytic in |z| < 1.

## Itemcode: PM1027

Let 
$$X = (0, \infty), Y = (0, 1)$$
 and  $Z = [0, 1)$ . Then,

- (a) X is homeomorphic to Y and not homeomorphic to Z.
- (b) Y is homeomorphic to Z and not homeomorphic to X.
- (c) Z is homeomorphic to X and not homeomorphic to Y .
- (d) each one of X, Y or Z is not homeomorphic the other.

### Itemcode: PM1028

- Let S be a dense subsets of  $\mathbb{R}$ . Then, it may not true that
- (a)  $S + \mathbb{Q}$  is dense in  $\mathbb{R}$ .
- (b)  $S.\mathbb{Q}$  is dense in  $\mathbb{R}$ .
- (c)  $S \cap \mathbb{Q}$  is dense in  $\mathbb{R}$ .
- (d)  $S \cup \mathbb{Q}$  is dense in  $\mathbb{R}$ .

- For a real sequence  $(a_n)$ , let  $f(a_n) = \sum_{n=1}^{\infty} a_n$ . Then f is a
- functional on  $l^1$  but not a functional on  $l^p$  for any 1 $\infty$ .

- functional on  $l^p$  for all  $1 \le p < \infty$  but not a functional on  $C_0$ .
- (c) functional on  $C_0$  but not a functional on  $l^{\infty}$ .
- (d) functional on  $l^{\infty}$ .

**Q60** Let X be a linear subspace of an inner product space Y . Then X = Y if

- (a) X contains an orthonormal basis for Y
- (b)  $X^{\perp} = \{0\}.$
- (c) there is a functional f on Y such that f(x) = 0 for all  $x \in X$ .
- (d) interior of X is non-empty.

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